

Chapter



CIRCULAR MOTION

KEY POINTS

Circular Motion:

Motion of bodies in circular path is called circular motion

Angular Displacement:

Angle subtended at the center of circle by a particle of the body while moving along the circumference of a circle in a given time.

- Angular displacement has direction along axis of rotation and can be determined by right hand rule.
- · SI unit of angular displacement is radian.

$$S = r\theta$$

1 rad = 57.3°
 $1^0 = 1/57.3$ rad = 0.0174 rad

or

Angular Velocity:

Rate of change of angular displacement is called angular velocity;

$$\omega = \Delta \vec{\theta} / \Delta t$$

Angular velocity is a vector quantity

$$\overrightarrow{V} = \overrightarrow{\omega} \times \overrightarrow{r}$$

SI unit of angular velocity is rad/sec.

Angular Acceleration:

* Rate of change of angular velocity is called angular acceleration

$$\overline{\alpha}^{\dagger} = \Delta \overline{\omega} / \Delta t$$

- SI unit of angular acceleration is rad/sec².
- Angular acceleration is a vector quantity.

$$\frac{1}{a} = \frac{1}{\alpha} \times \frac{1}{r}$$

 Direction of angular acceleration is along axis of rotation and is determined by right hand rule.

Centripetal Acceleration & Force:

The force required to bend a straight line path of a body into the circular bath is called centripetal force.

Work done by centripetal force is zero

Relation Between Angular And Tangential Or Linear Quantities

$$S = r\theta$$

$$v_r = r\omega$$

$$a_r = r\alpha$$

Comparison of Linear Motion and Angular Motion:

m and Angular Wollon:						
Linear motion	Angular motion					
$v = \frac{S}{I}$	$\omega = \frac{\theta}{}$					
1	t					
$V_f = V_i + at$	$\omega_f = \omega_i + \alpha t$					
$S = V_i t + 1/2at^2$	$\theta = \omega_i t + 1/2\alpha t^2$					
$2aS = V_1^2 - V_1^2$	$2\alpha\theta = \omega f^2 - \omega_i^2$					
F = ma	$\tau = I\alpha$					
$a = \frac{v_f - v_i}{t}$	$\alpha = \frac{\omega_t - \omega_1}{t}$					
p = mV	$L = I \omega$					
$K.E = \frac{1}{2}mv^2$	$K.E_{rot} = \frac{1}{2} l\omega^2$					

Moment Of Inertia:

It is the rotational analogous of mass in linear motion. It depends on the mass and distribution of mass from the axis of rotation.

- Moment of inertia =1 =: mr²
- It is measured in kgm²

Moment of Inertia of Some Regular Bodies:

- For Rod: I = 1/12 mL²
- For thin ring or boop: $I = mr^2$
- For Solid disc or cylinder: $I = \frac{1}{2}mr^2$
- For Sphere: $I = \frac{2}{5}mr^2$

Angular Momentum:

- Angular momentum is the product of moment of inertia and angular velocity.
- Angular moment is given as:

• If $\theta = 90^{\circ}$, then

$$L = m r v$$

$$L = m r^2 \omega \quad (as v = r \omega)$$

$$L = L \omega$$

Law of Conservation Of Angular Momentum:

Total angular momentum of all the bodies in a system remains constant in the absence of an external torque

• $L_1 = L_2$ $I_1 \omega_1 = I_2 \omega_2$

Rotational K.E:

Rotational K.E is given by

Rotational K.E of disc

$$K.E_{rot} = \frac{1}{4}mV^2 = \frac{1}{2}(K.E_{lin})$$

· Rotational K.E of hoop

$$K.E_{rot} = \frac{1}{2} mV^2 = (K.E_{lin})$$

• Velocity of hoop at the bottom of an inclined plane

$$V = \sqrt{gh}$$

Velocity of disc at the bottom of an inclined plane

$$V = \sqrt{\frac{4}{3}gh} = \frac{2}{\sqrt{3}}\sqrt{gh}$$

Artificial Satellites:

The artificial satellite is the objects that orbit around the Earth due to gravity.

Real and Apparent weight:

The real weight of an object is the gravitational pull of the earth.

Weight of an object is measured by a spring balance.

• When lift is in the state of rest then: T = w

• When the lift is accelerating upwards: T = w + ma

• When the lift is accelerating downward: T = w - ma

• When lift is falling freely under gravity: T = 0

Orbital Velocity:

Orbital velocity is the tangential velocity to put a satellife in orbit around the earth.

• $v_o = \sqrt{2gh}$

• $v_o = 7.9 \, km s^{-1}$

Artificial Gravity:

Artificial gravity is the gravity like effect produced in an orbiting space ship to overcome weightlessness by spinning the spaceship about its own axis.

Geostationary Satellites:

Geo stationary satellite is the one whose orbital motion is synchronized with the rotation of earth.

Or

A satellite whose position does not change w.r.t a certain point on earth is called geostationary satellite.

•
$$r = \left(\frac{GMT^2}{4\pi^2}\right)^{\frac{1}{3}}$$
 $[r^3 \alpha T^2]$

• $r = 4.23 \times 10^4 \text{km}$

Newton's views of Gravitation:

According to Newton "gravitation is the intrinsic property of matter that every particle attracts every other particle with a force which is directly proportional to the product of there masses and is inversely proportional to the square of distance between them".

Einstein's Views of Gravitation:

Albert Einstein viewed as a space -time curvature around an object.

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TOPICAL MULTIPLE CHOICE QUESTIONS

Topic 5.1:

Angular Displacement

A body of mass "m" is moving along a circular path as shown in the figure. In which (1)direction the angular displacement is produced?

(a) A

(b) B

(c) C

(d) Does not have direction

One radian is equal to **(2)**

> (a) 5.73° (c) 57.3°

(b) 0.73°

(d) 2π

For a small θ , angular displacement is quantity (3)

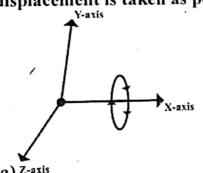
(a) scalar

(b) vector

(c) neither scalar nor vector

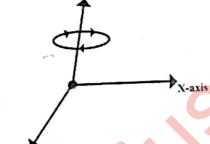
(d) none

For which of the following directions of rotations angular **(4)** displacement is taken as positive?



(a) Z-axis





(d) All of these

The direction of angular displacement along the axis of rotation is given by

(a) right hand rule

(b) left hand rule

(c) head to tail rule

(d) none of these

The S.I unit of angular displacement **(6)**

(a) degree

(5)

(b)radian

(c) revolution

(d) all of these

The dimension of angular displacement is **(7)**

 $(a)[ML^{-1}]$

(b) $[ML^{-2}]$

(d) dimensionless

(c) [LT⁻¹] Radian is defined as the angle subtended at the center of a circle by an (8)

(a) arc whose length is parallel to the radius of circle

(b) are whose length is greater than the radius of circle

(c) are whose length is less than the radius of circle (d) arc whose length is equal to the radius of circle

(9)	A satellite orbiting around the earth	is an example of
	(a) circular motion	(b) vibratory motion
	(c) rectilinear velocity	(d)all of these
То	pic 5.2:	
	Angula	r Velocity
(10	When a body moves in a circle, the a	ngle between its linear yelocity 'v' and angula
	velocity 'ω' is always.	
	(a) 180° (c) 90°	(b) 0°
(11)		(d) 45°
()	 For a particle moving in a horizontal (a) the linear momentum is constant but 	the energy varies
	(b) the energy is constant but the linear	momentum varies
	(c) both energy and linear momentum as	re constant
(13)	(d) neither the linear momentum nor the	e energy is constant
(12)	or management of the total tot	
	(a) rev / sec	(b) rad/sec
(13)	(c) degree / sec	(d) all whose wheel is shown in the figure. In which
(==)	direction the angular velocity acts?	Wilder Allering Strong in one right of the Wilder
	(a) A	(b) B
	(c) C	(d) D
(14)		body moving in a circle is
	(a) towards the axis of rotation	(b) away from the axis of rotation
	(c) along the axis of rotation	(d)above the axis of rotation
(15)	The angular speed of fly wheel	making 120
	revolutions per minutes is	
	(a) π rad/s	(b) $3\pi \text{ rad/s}$
	(c) 6π rad/s	(d) 4π rad/s
(16)	The dimension of angular velocity is	
	(a) [LT ⁻¹]	(b) [LT] (
	(c) [T ⁻²]	(d) [T-1] Circle
(17)	In the limit when Δt approaches to zero	ro, the angular
	displacement would be	(1277) - (2-12-11-11-11-11-11-11-11-11-11-11-11-11
	(a) zero	(b) infinitesimally small
	(c) infinitesimally large	(d) none of these
(18)	For which condition θ and ω makes an	cangle of 180° with each other?
	(a) $\vec{\omega}$ increases	(b) ω decreases
	(c) $\vec{\omega}$ remains same	(d) Note possible
Topic		4-7
	Angular Ac	celeration
(10)	The rate of change in angular velocity is	
(19)	(a) angular displacement	(b) angular momentum
	(c) angular velocity	(d) angular acceleration
.= 0:		
(20)	For which condition ω and α becomes	anti-parallel? (b) An appropriate torque acts on the system
	(a) Rotational K.E decreases	(b) An opposite torque acts on the system
	(c) w decreases whether α increases	(d) Ali

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State of Street, or other Designation of the last of t	
(21)	The direction of angular acceleration is
1	(a) di la la distributa di airola

(a) perpendicular to radius of circle

(c) along the radius of circle Dimension of angular acceleration is (22)(a) $[LT^{-2}]$ (o) [T-2]

(b) glong the axis of rotation

(d) both a and b

(b) [LT] (d) [7 1]

123) Angular acceleration is expressed in units of

(a) ms^{-2} (c) rev s (b) rad s

Whad s

Which of the following acceleration whenever is present it produces angular (24)acceleration?

(a) a_c

(c) Both A and B

(d) None of these

(25)The angular acceleration is produced due to

(a) centripetal force

(b) Torque

(c) Force

(d) centrifugal force

Topic 5.4:

(28)

Relation between Angular and Linear Velocities

The relation between linear acceleration and angular acceleration is (26)

(a) $\alpha = a \times r$

(b) $a = \alpha \times r$

(c) $a = r \times \alpha$

(d) $r = a \times \alpha$

(27)The angle between angular velocity and angular acceleration when angular velocity decreases is

(a) 30°

(b) 45°

(c) 180°

(d) 90°

The acceleration of a motor car is 8 m/s2. If the diameter of its wheel be 2m. It's angular acceleration will be

(a) 8 rad/s²

(b) 10 m/s^2

(c) 16 rad/s²

(d) 10 rad/s²

(29)Relation between linear and angular velocity is

(a)
$$\omega = \frac{r}{v}$$

(b)
$$\omega = \frac{a_c}{v}$$

$$(\mathbf{c}) \stackrel{\sim}{\omega} = \frac{v}{r}$$

(d) both b and c

Which of the following is correct relation?

(a)
$$\vec{v} = \vec{r} \times \vec{\omega}$$

(c)
$$\omega = v \times r$$

(d)
$$\vec{\omega} = r \times \vec{v}$$

The relation between tangential and angular acceleration is expressed by 31)

(a)
$$a_i = r\alpha$$

(b)
$$a_i = \frac{r}{\alpha}$$

(c)
$$a_i = \frac{\alpha}{r}$$

(d)
$$a = \frac{1}{\alpha r}$$

When a wheel 1m in diameter makes 30 rev/min, the linear speed of point on it's 32) rim in ms-1 is

(a)
$$2\pi$$

(d)
$$4\pi$$

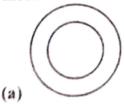
		One/s in a sixtle Co. III
	(33) If a car moves with uniform speed of	2m/s in a circle of radius 0.4 m. It's angular speed is
	(a) 4 rad/s	(d) 7 rad/s
	(c) 6 rad/s	(d) 7 rad/s
((a) same direction	(b) directions have
	(c) different direction	(b) directionless
/2	mi l'a ser relegite in sinceles est	(d) none of these
(3	(a) tangential velocity	
	(c) relative velocity	(b) instantaneous velocity
(36		III) angulas - 1
(50	(a) rectilinear motion	
	(c) linear motion	(b) circular motion
Tor	pic 5.5	(d) none of these
(37)	Centripetal force performs.	petal Force
(57)	(a) maximum work	
	(c) negative work	(b) minimum work
(38)	Rotational counter part of force is	(d) no work
()	(a) torque	
	(c) angular momentum	(b) angular velocity
(39)	Which of the following forces	(d) momentum
	Which of the following forces cannot (a) \widehat{F}_{C} .	produce torque?
		(b) F_T
40)	(c) Both	(d) Both can produce torque
40)	The mud flies off the tyre of a fast m	oving car in the direction
	(a) paramer to the moving tyre	(b) anti parallel to the moving tyre
411	(c) tangent to the moving tyre	(d) none of these
41)	The force which provides the necessary	ary centripetal force to keep the mud in circular
	path is called	
	(a) cohesive force	(b) frictional force
12)	(c) adhesive force	(d) gravitational force
12)	The relation for centripetal accelerat	ion is given by
	(a) $\frac{v^2}{}$	(b) ²
	$\frac{r}{r}$	(b) $r\omega^2$
	(c) $v\omega$	(d) all of these
13)		cle by a string. The tension in the string is
13)	minimum at the	cie by a string. The tension in the string is
	(a) top	(b) Bottom
	(c) Midway between top and bottom	(d) Remains same
14)		
14)	maximum at the	cle by a string. The tension in the string is
	(a) top	(KDD - + +
		(b) Bottom
1 5)	(c) Midway between top and bottom	(d) Remains same
13)	The centripetal force acting on a body	of mass m in a circle of radius r is
	(a) $\frac{mv^2}{}$	(b) $mr^2 \omega$
	r	(b) III <i>w</i>
	(c) mr ω^2	(d) both a and c

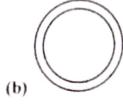
The necessary centripetal force to the moving car round a corner track is provided by (46)(a) centrifugal force (b) gravitational force (c) frictional force (d) electric force (47) The period of circular motion is $(x)^T = \frac{2\pi}{2\pi}$ **(b)** $T = \frac{\omega}{2\pi}$ (d) $T = \frac{\pi \omega}{2}$ (c) $T = 2\pi\omega$ A car of mass 1000kg traveling at 40 ms⁻¹ rounds a curve of radius 100m. what is the Fc (48)~(6) 1.6 x 10 ⁴N (a) 100 N (d) $8x 10^{4}N$ (c) $1.6 \times 10^{6} \text{N}$ If the radius of the circular path of a moving body is half without changing speed of (49)rotation then the F_C becomes (a) half (b) doubled (d) one forth (c) one third The curved flight of fighter planes at high speed requires a large (50)(b) centripetal force (a) gravitational force (d) centrifugal acceleration (c) frictional force The centripetal force has the same dimension as the (51)(b) centrifugal force (a) angular acceleration (d) centrifugal acceleration (c) centripetal acceleration The vector form of centripetal force is (52) $(b) - mr\omega^2$ (a) mor (d) $m\omega r^2$ (c) mor The centripetal acceleration directed along the radius (53)(b) perpendicular to the centre of the circle (a) away from the centre of the circle (d) parallel the centre of the circle (c) towards the centre of the circle The dimensions of centripetal force is (54)(b) [MLT⁻¹] (a) [MLT-2] (d) [LT-1] (c) [LT⁻²] A body is moving in a circle of radius "r" with constant angular speed "w". It's (55)centripetal acceleration is AN roz

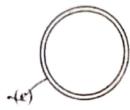
Topic 5.6:

Moment of Inertia

(56) Three hoops of same masses are shown in the figure. Which of these have maximum moment of inertia?







(d) $\frac{\omega^2}{\omega^2}$

(d) All

- (57)Moment of inertia of rod of length L and mass m is
 - (a) $\frac{1}{6}mL$

(b) $\frac{1}{12} mL$

(c) $\frac{1}{6} mL^2$

- $(\mathbf{u})\frac{1}{12}mL^2$
- (58)The unit of moment of inertia is
 - (a) kgms-1

(b) kgm⁻²

(c) kg⁻¹m² (59)

- (d) kgm²
- The moment of inertia of a body comes in action in (a) circular path

(b) curved path

(c) straight line

- (d) parallel
- (60)The relation between torque 'τ' and the moment of inertia 'I' is given by
 - (a) $\tau = m r^2 \alpha$

(b) $\tau = I\alpha$

(c) $\tau = mr\omega^2$

(d) both a and b

- Moment of inertia of hoop (61)
 - (a) $I = \frac{1}{3}mr^2$

(c) $I = \frac{2}{3}mr^2$

- (62)The dimensions of moment of inertia is
 - (a) $[ML^{-1}]$

(b) $[MT^{-2}]$

(c) [MT⁻¹]

- $(d)^{2}$
- Which of the following cylinder requires least torque to be moved if have same mass? (63)







- (d) Can't be predicted
- If two cylinders of equal mass roles, the one with the larger diameter has the (64)
 - (a) smaller rotational inertia
- (b) larger rotational inertia

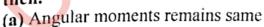
(c) zero rotational inertia

(d) none of these

Topic 5.7:

Angular Momentum

In the figure a body is shown which is rotating along a circular (65)track. If the object is moving with constant angular velocity then.



- (b) Linear momentum changes at every moment
- (c) Body rotates yet there is no torque
- (d) All
- The rate of change of angular momentum of a body is equal to (66)
 - (a) moment of force

(b) the applied force

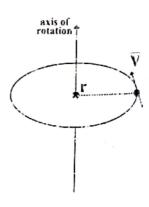
(e) the applied torque

- (d) impulse
- Dimensions of angular momentum are (67)
 - (a) [MLT]

(b) [MLT⁻¹]

(c) [ML²T⁻¹]

(d) [MLT⁻²]



The expression for angular momentum is given by (68)

$$\int \mathbf{a} \int \vec{L} = \vec{r} \times \vec{p}$$

(b)
$$\overline{L} = \frac{\ddot{r}}{\ddot{p}}$$

(c)
$$\vec{L} = \vec{p} \times \vec{r}$$

(d)
$$\vec{L} = \vec{r} \times \hat{v}$$

The direction of angular momentum is (69)

- (a) along the axis of rotation
- (b) perpendicular to the radius of circle
- (c) perpendicular to the velocity of object
- (d) all of these

The expression for angular momentum is given by (70)

(a) $L = I\omega$

(b) $L = mr^2 \omega$

(c) L = mvr

(d) all of these

The unit of angular momentum is (71)

(a) $kg m^{2/s}$

(b) Js⁻¹

(c) Js

(d) both a and c

Which of the following is a vector quantity (72)

(a) speed

- (b) angular momentum
- (d) mass

(c) time The angular momentum of any body about a fixed point is conserved when the (73)angular acceleration of the body

(a) go on decreasing

(b) go on increasing

(c) must remain constant

(d) must be zero

The angular momentum associated with the motion of a body along a circular path (74)is called

(a) spin angular momentum

- (b) orbital angular momentum
- (c) tangential angular momentum
- (d) linear angular momentum

Topic 5.8:

Law of Conservation of Angular Momentum

Law of conservation of angular momentum states that if no system, the total angular momentum of the system remain constant (75)(b) external torque

(a) external force

(c) external couple

(d) none of these

The axis of rotation of an object will not change its orientation unless an (76)

causes it to do so.

(b) external torque

(a) external force

(d) none of these

(c) external couple The law of conservation of angular momentum can explain (77)

- (a) the rotational motion of earth
- (b) spin motion of diver using divers board
- (c) generation of stars in the universe
- (d) all of these

The diver can move faster when its moment of inertia (78)

(a) become large

(b) become smaller

(c) become zero

(d) none of these

Earth moves around the sun according to (79)

- (a) law of conservation of charge
- (1) law of conservation of angular momentum
- (c) law of conservation of mass
- (d) law of conservation of momentum

rotation

- A sphere is rotating arount its won axis of roation such that its (80)radius Reduces to $\frac{1}{4}$ yet mass remins same. Then the angular velocity becomes
 - (a) 16 times

(b) 16 times

(c) 4 times

(d) $\frac{1}{4}$ times

Topic 5.9:

Rotational Kinetic Energy

- The rotational K.E of any hoop of radius r is given by (81)(a) 1/2 Iw²

(b) 1/3 Ιω

(c) $1/2 \text{ mr}^2$

- (d) $2/3 \text{ Ir}^2$
- The ratio of rotational K.E of hoop to its translational K.E is (82)
 - (a) 1:2 (e) 1:1

(b) 2:1

(83)

- (d) 1:4
- When a disc of mass m rolling down on an inclined plane then its K.E is
 - (a) $\frac{1}{2}mv^2$

 $(c) \frac{1}{4} mv^2$

- Speed of hoop at the bottom of inclined plane is (84)
 - (a) $v = \sqrt{2gh}$

(b) $v = \sqrt{gh}$

(c) $v = \sqrt{\frac{3}{4}}gh$

- (d) $v = \sqrt{\frac{4}{3}gh}$
- A hoop of radius 1m and mass 2kg rolls down an inclined plane of height 10m its (85)speed on reaching the ground is
 - (a) 4m/sec

(b) 2m/sec

(e) 10m/sec

- (d) 1.5ms⁻¹
- Speed of disc at the bottom of inclined plane is (86)
 - . (a) $v = \sqrt{gh}$

(b) $v = \sqrt{2gh}$

- (d) $v = \sqrt{\frac{4}{2}gh}$
- The rotational K.E of disc is _ (87)of translational K.E
 - (a) 1/2 times

(b) two times

(c) same

- (d) 1/4 times
- (88)When a body of cylindrical shape is rolled down on an inclined plane of height 'h', it contains
 - (a) only rotational K.E

(b) only translational K.E

(e) both 'a' and 'b'

- (d) none of these
- (89)When a hoop of mass m rolling down on an inclined plane then its rotational K.E is

(b) $\frac{3}{4}mv^2$

(c) $\frac{1}{4}mv^2$

(d) $\frac{2}{5}mv^2$

(c) 95 min

=		Circular Motion
(90)) If no energy is lost againg the batter	inst friction, then rotational K.E of the disc or hoop on
	reaching the bottom of in-	clined plane must be
	(c) less than P.E at top	(b) greater than P.E at top
To	pic 5.10:	(d) zero
(0.4)	70	Artificial Satellites
(91)		ty to the escape velocity
	(a) $v_{exc} = \sqrt{\frac{1}{2}}v_{ij}$	
	1 ~	$\text{(b)} \gamma v_{esc} = \sqrt{2}v_{o}$
	(c) $v_o = \sqrt{2}v_{exc}$	
(92)	As we go below the sunface	$(\mathbf{d}) \ v_{exc} = 2v_o$
,	(a) increases	e of the earth, the value of g
	(c) remain same	(b) decreases
(93)		(d) zero
(12)	(a) 9m/sec	quired to put a satellite in an orbit close to the earth
	(a) 77.9x10 ³ m/sec	(b) $7.9 \times 10^2 \text{m/sec}$
(94)		(d) $8.9 \times 10^2 \text{m/sec}$
(74)	The orbital velocity of sate	ellite is independent of
	(a) mass of the earth	(b) orbital radius
(0.5)	(e) mass of satellite	(d) both b and c
(95)	The number of satellites in	the Global Positioning system are
	(a) 23	(b) 34
	(c) 19	(d) 24
(96)	The close orbiting satellite	orbits the Earth at height of
	(a) 400km	(b) 430km
	(c) 390km	(d) 360km
(97)	The minimum velocity nec	essary to put a satellite into the orbit is called
	(a) relative velocity	(b) critical velocity
	(c) tangential velocity	(d) terminal velocity
(98)	The expression for the time	e period of low flying satellite put into the orbit is
	(a) $T = \frac{2\pi R}{R}$	(b) $T = \frac{2\pi R}{C}$
	(a) $T = \frac{2\pi R}{g}$ (c) $T = \frac{2\pi g}{R}$	(b) $T = \frac{2\pi R}{G}$ (d) $T = \frac{2\pi R}{G}$
	(c) $T = \frac{2\pi g}{R}$	(d) $T = \frac{2\pi R}{R}$
99)	K	ν ,
, ,	the earth	minimum to put the satellite in orbit around
	(a) terminal velocity	4 Varbital reals site
	(c) relative velocity	(b) orbital velocity (d) escape velocity
100)	The value for the time perio	od of low flying satellite put into the orbit is
	(a) 5960 sec	(b) 84 min
	(a) 05 .	(7) 0 . 111111

(d) 6400 sec

Chapter- 5

Topic 5.11 & 5.12:

•	• .				Weightlessness
·	לפטו ה ו	_	1.4	0	Welding
	veal and	Annone	Maiant	α	VVC

		iteal and Apparent Weig	ht & Weight
	(101)	Real weight of the all in Satellite and Gray	vity Free Sys
	` ,	Real weight of the object changes in	as Non-inertial frame
		Tidille	(d) Remains same
	(102)	(c) Both A man in an elevator descending with acce (a) increased	Jorgion Will Conclude
		(c) remain same	(d) zero
	(103)	An elevator is moving upward with accel	(d) zero eration 'a' the apparent weight of an object
		inside the elevator is	(b) mg + ma
		(a) mg-ma	(d)-mg - ma
	(10.0)	(c) ma-mg Earth is shown in which we have shown	nole, equator and Pole
	(104)	Earth is shown in which we have shown centre. At which of these points the real	weight of anobject
		centre. At which of these points the resi	
		is zero? (a) Pole	(b) equetor R_p Equator
		2-	(d) Not possible \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \
	(105)	When the elevator moving down with	an acceleration of
	(/	9.8ms ⁻² then the weight of a person become	(b) 2 times increases
		(a) remain same	(d) half
		(c) zero The apparent weight of the body in space	ship in orbiting the earth is
	(106)	The apparent weight of the body in space	(b) greater than its weight
		(a) less than its weight	(d) no change
		(c) weightlessness	brakes are applied on it. The relation for a
	(107)	An elevator is moving upward such that	will be
		mass suspended in it regarding its weight	(b) mg-ma
		(a) mg+ma	(d) Zero
	(4.00)	(c) mg	ed to hold an object falling in the frame of
	(108)		
		reference of the space craft or satellite is	
		(a) orbital system	(b) gravitational system
	(4.00)	(c) virtual system	(d) gravity free system
	` '	Generally the weight of an object is meas	-
		(a) ordinary balance	(b) spring balance
	`	c) both 'a' and 'b'	(d) none of these
((110) V	When a person rides in an elevator then	its apparent weight may
	. ((a) Increase	(b) Decrease
	. ((c) Remains same	(d) All
((111) A	man weighs 1000 N is in a stationary	lift. What will be it's weight if the lift start
	n	noying up with an acceleration 10 m/s ²	
		a) 2000 N	(b) 3000 N
		c) 1500 N	(d) 1000 N

Topic 5.13:

Orbital Velocity

The expression for orbital velocity is given by

$$(a) v = \sqrt{\frac{gM}{R}}$$

(b)
$$v = \sqrt{\frac{GM}{gh}}$$

(c)
$$v = \sqrt{\frac{gM}{G}}$$

$$40) v = \sqrt{\frac{GM}{r}}$$

The mass of the satellite is unimportant in describing the (113)

(a) earth's orbit

(b) satellite's orbit

(c) earth's radius

(d) earth's gravity

Topic 5.14:

Artificial Gravity

To create artificial gravity in a satellite, the satellite is given a frequency

(a)
$$f = 2\pi \sqrt{\frac{g}{R}}$$

(b)
$$f = \frac{1}{2\pi} \sqrt{g/R}$$

(c)
$$f = \frac{1}{2\pi} \sqrt{\frac{R}{g}}$$

(d)
$$2\pi\sqrt{R/g}$$

(115) The unit of frequency

- (a) s-1
- (c) ms

Topic 5.15:

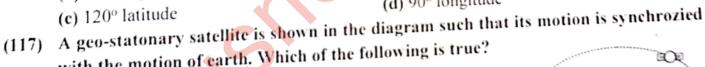
Geostationary Orbits

(116) One geostationary satellite covers

(a) 60° longitude

(b) 120° longitude

(d) 90° longitude



with the motion of earth. Which of the following is true?

- (a) It has same angular velocity as earth has
- (b) It has same time period to complete rotation as that of earth
- (c) It has same orbital velocity as a point on earth has



The expression for the orbital radius is (118)

(a)
$$r = \left(\frac{gMT^2}{2\pi^2}\right)^{\frac{1}{2}}$$

(b)
$$r = \left(\frac{gMT^2}{2\pi^2}\right)^{\frac{1}{4}}$$

$$(c) = \left(\frac{GMT^2}{4\pi^2}\right)^{\frac{1}{3}}$$

$$(\mathbf{d}) \ r = \left(\frac{GMT^2}{4r\pi^2}\right)^3$$

(119) The radius of geo-stationary orbit from the centre of earth

(a) $4.24 \times 10^3 \text{ km}$

(b) 4.2 x 10⁴ km

(c) $3.6 \times 10^4 \text{ km}$

(d) $2.42 \times 10^4 \text{ km}$

EOE

Earth

Topic 5.16:

	<u>Communi</u>	cation Satellites
(120)	The minimum number of geo-sta	tionary satellites use to send telecommunication
•	signals to all parts of earth are	
	(a) 2	(b) 3
•	(c) 5	(d) 4
(121)	The number of Earth stations which	(d) 4 ch transmit signals to satellites and receive signals
	via satellite from other countries a	re
	(n) 200	(b) 400
	(c) 300	(d) 240
(122)		
()	(a) 10° Hz	(b) 10^3Hz
	(c) 10 ¹² Hz	(d) 10^6Hz
(123)		LSAT-VI
(120)	(a) provides facility of three T.V cha	nnels
	(b) operates at microwave frequency	4,6,11 and 14 Uniz
	(c) has capability of 30,000 two-way	telephone circuits
	(d) all of above	
(124		n managed by
(12-	(a) 120 countries	Hay 120 countries
	(c) 160 countries	(d) 140 countries
(125	· · · · · · · · · · · · · · · · · · ·	LSAT-VI can be used as
(2-)	(a) for navigational purpose only	(b) for world wide communication only
,	(c) for weather monitoring	(d) all of these
To	pie 5.17:	The second section of the second section is
	Newton's and Eins	tein's view of Gravitation
(12	6) According to Einstein, light from s	tar is deflected as it passes close to the sun on its
	way to earth through an angle of	
	(a) 1.745 sec	(b) 10^0
	(c) 2 ⁰	(d) 1^0
(127) According to the grav	itation is the intrinsic property of matter
	(a) Einstein	(b) Joule
	(e) Newton	(d) Pascal
(128)	Which theory of gravitation is bett	er
	(a) Newton	(b) Compton
	(c) Einstein	(d) Rydberg
(129)		
, ,	(a) parabolic	(b) curved
	(c) elliptic	. (d) circular
(130)	Einstein's theory also says that gra	
,(150)	(a) Newton's law	
•		(b) inverse square law
(121)	(c) Pascal's law	(d) none of these
(131)	The gravity of a sun could be used	
	(a) bend the light from stars	(b) diverge the light from stars
	(c) scatter the light from stars	(d) polarize the light from stars

Chapter- 3

(r ron	I I ast I apels 2012-2017	,
	(Federal Board)	

	(Foder:	al Board)	
(1)	The expression for spinning frequency	to create artificial gravity	in satellite is(FDR 2012)
	$(a) f = \frac{1}{2\pi} \sqrt{\frac{E}{R}}$	(b) $f=2\pi\sqrt{\frac{g}{R}}$	
	(c) $f = \frac{1}{2} \sqrt{R/\mu}$	(d) $f=2\pi\sqrt{\frac{R}{f}}$	
(2)	A gramophone record turntable acce	lerates from rest to an ang	gular velocity of 45.0
(2)	rev min ⁻¹ in 1.60s. The average angul	ar acceleration is	(FDR 2012)
	(a) 19.5 rads ⁻²	(b) 2.95 rads^{-2}	
	(c) 2.95 revs^{-2}	(d) None of these	(CDD 2014)
(3)	The height of a geostationary satellite	above the equator is	(FDR 2014)
(3)	(a) $6.4 \times 10^6 m$	(b) $73.4 \times 10^{7} m$	
	(c) $3.4 \times 10^{-7} m$	(d) $6 \times 10^6 m$	(FDR 2014)
(4)	The expression for orbital speed of a	rtificial satellite is	(FDR 2014)
(4)	(a) $v = \sqrt{\frac{GM}{r}}$	(b) $v = \frac{\sqrt{GM}}{r}$	•
	(c) $v = \frac{GM}{r}$	(b) $v = \frac{\sqrt{GM}}{r}$ (d) $v = \sqrt{\frac{GM}{2r}}$	
	,		(FDR 2015)
(5)	45 104/11111	(b) 4.71	
	(a) 90 π	(4) 00	
(6)	(c) 0.75 For a geo stationary satellite the o	rbital radius measured fi	rom the centre of the (FDR 2015)
	earth is	(b) 42300 km	
	(a) 36000 km	(d) 72000 km	
	(c) 64000 km A hoop of mass 'm' rolls down an i	nclined plane of height '	h', reaches the bottom
(7)	with linear velocity 'v' and angular	welcoity 'w' If friction	is ignored, what is the
	with linear velocity v' and angular	of inclined plane?	(FDR 2016)
	total energy of the hoop at the botton	n of inclined plane.	(2 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3
	(a) $\frac{3}{4}mv^2$ (c) $\frac{1}{4}mv^2$	(1) mv ²	
		(d) $\frac{1}{2}mv^2$	
	$(\mathbf{c}) - mv^2$	(d) $\frac{1}{2}mv$	
	, 4	alather due to:	(FDR 2017)
(8)	In dryer, water is pushed out of wet	(b) Lack of centripe	
	(a) Abundance of centripetal force		tui ioree
	(c) Friction	(d) Retarding force	and is whirled in
(9)	A stone of mass 16 kg is attached	d to a string 144 m lor	ig and is whirled in a
	horizontal circle. The maximum to maximum velocity of revolution that	ension the spring can	one without breaking i
	will be:		(FDR 2017
	(a) 20ms ⁻¹	(b) 16ms ⁻¹ (d) 12ms ⁻¹	
	(c) 14ms ⁻¹	(d) 12ms ⁻¹	

ANSWER KEYS

(Topical Multiple Choice Questions)													
	c	21	d	41	c	61	b	81	a	101	d	121	a
2	C	22	c	42	d	62	$\frac{b}{d}$	82	c	102	b	122	a
3	b	23	d	43	a	63	$\frac{\mathbf{u}}{\mathbf{a}}$	83	c	103		123	d
4	b	24	b	44	b	64	$\frac{a}{b}$	84	b	104	-	124	b
5	a	25	b	45				85	c	105		125	d
6	b	26			d	65	<u>d</u>	86	d	106	c	126	a
7	$\frac{\mathbf{d}}{\mathbf{d}}$		<u>b</u>	46	c	66	C	87	a	107	b	127	c
8		27	C	47	a	67	C	88	$\frac{a}{c}$	108	d	128	c
9	<u>d</u>	28	a	48	b	68	a d	89	a	109	b	129	b
国务240 00	a	29	C	49.		69 70	d	90	a	110	d	130	b
10	C	30	<u>b</u>	50	b	71	d	91	b	1111	a	-131	a
111	b	31	a	51	b	72	b	92		112	d		
12	d	32	<u>b</u>	52	b	73	c	93	c	113	b		
13	c	33	-	53 EA	a	74	<u>b</u>	94	c	114	b		
14	d	34	a	54 55	b	75	$\frac{b}{b}$	95	d	115	a) the	
15	$\frac{d}{d}$	35 36	a b	56	c	76	b	96	a	116	b		
16	d	37	d	57	d	77	-	97	b	117	d		
17		38	a	58	d	78	b	98	d	118	c		
18 19	d	39	a	59	a	79	b	99 -		119	b		
20		40	c	60	- 3	80	b	100	b	120	b		

SHORT QUESTIONS

(From Textbook Exercise)

5.1 Explain the difference between tangential velocity and the angular velocity. If one of these is given for a wheel of known radius, how will you find the other?

Ans:

FANGENTIAL VELOCITY

- Velocity of a body along the tangent is known as tangential velocity of linear velocity.
- Its unit is m/s
- Its direction is along tangent

•
$$v_t = \frac{\Delta d}{\Delta t}, v = r\omega$$

ANGUALR VELOCITY

- Angular velocity of a body is the rate of change of angular displacement.
- Its unit is radian/sec
- Its direction is along the axis of rotation.
- $\bullet \quad \omega = \frac{\Delta \theta}{\Delta t} \omega = \frac{v}{r}$

If one of them is given for a wheel of known radius, then other can be calculated using the relation $v = r\omega$

5.2 Explain what is meant by centripetal force and why it must be furnished to an object if the object is to follow a circular path?

Definition Ans:

> "The force needed to bend the normally straight path of the particle into a circular path is called centripetal force"

Centripetal Force only changes the direction of motion

When a force acts perpendicular to the direction of motion of a body then that force changes only the direction of motion of the body. When a body moves in a circular path then at every instant its direction of motion changes. It means that a force always acts perpendicular to the direction of motion which keeps the body moving in the circular path. This force is called centripetal force. If we stop applying the centripetal force, body will move on the straight path. Hence it must be furnished so that direction of motion of body changes continuously due to which straight path bends into circular path.

5.3 What is meant by moment of inertia? Explain its significance.

Ans: DEFINITION:

"The rotational analogous of linear mass is called moment of inertia"

It is denoted by I.

SIGNIFICANCE:

It plays same role in angular motion which inertia plays in linear motion. It resists angular / circular motion as inertia resists linear motion.

It may be noted that moment of inertia depends not only on mass m but also on r².

- 5.4 What is meant by angular momentum? Explain the law of conservation of angular momentum.
- Ans: Angular Momentum:

The moment of linear momentum of a body about a point is called angular momentum. OR The cross product of position vector \vec{r} and linear momentum \vec{P} of an object is called angular momentum. It is denoted by \overline{L} .

Mathematically, $\vec{L} = \vec{r} \times \vec{p}$

It states that if no external torque acts on a system, the total angular momentum of the system remains

system remains constant.

$$\vec{L}_{total} = \vec{L}_1 + \vec{L}_2 + - - - - = \text{constant}$$

$$I_1\omega_1 = I_2\omega_2 = \text{constant (For an isolated system)}$$

 $I_1\omega_1 = I_2\omega_2 = \text{constant (For an isolated system)}$

Show that orbital angular momentum L₀ = mvr 5.5

Ans:

Consider a boy of mass m is moving in a circular path of radius r with speed V, the angular momentum of the body is given by

$$\vec{L}_{o} = \vec{r} \times \vec{P}$$

The magnitude of angular momentum is given by

$$L_{o} = rp \sin \theta$$

$$(\therefore \theta = 90^{\circ})$$

$$L_{o} = rp \sin 90^{\circ}$$

$$L_{o} = rp \qquad (\because \sin 90^{\circ} = 1)$$
As, $p = mv$
So,

Hence, Proved, $L_0 = mvr$

 $L_0 = rmv$

Describe what should be the minimum velocity, for a satellite, to orbit close to the 5.6 Earth around it.

Definition: Ans:

"The minimum velocity necessary to put the satellite into an orbit close to the surface of Earth is called critical velocity."

It is given by the relation.

$$v = \sqrt{gR} = \sqrt{9.8 \times 6.4 \times 10^6}$$

 $v = 7.9 \times 10^3 \text{ m sec}^{-1}$
So, $v = 7.9 \text{ kms}^{-1}$

State the direction of the following vectors in simple situation; angular momentum 5.7 and angular velocity.

The direction of angular momentum and angular velocity is determined by right hand rule. Ans: For Angular Momentum:

We know that:

$$\vec{L} = \vec{r} \times \vec{p}$$

- This shows that the direction of angular momentum is perpendicular to the plane containing \vec{r} and \vec{p} .
- In case of circular motion, angular momentum is perpendicular to the plane of circle and is along axis of rotation.

For Angular velocity:

The direction of angular velocity is perpendicular to the plane of the circle and is along the axis of rotation.

5.8 Explain why an object, orbiting the Earth, is said to be freely falling. Use your explanation to point out why objects appear weightless under certain circumstances.

Ans: When an object is orbiting around the Earth, force of gravity provides the necessary centripetal force, as no force is holding that object. Therefore, it is freely falling frame of reference. The curvature of path of the object and the Earth prevent it from falling on the surface of Earth.

In a freely falling frame of reference, the frame of reference and the objects inside the frame of reference are falling at the same rate i.e. same acceleration a = g, therefore they appear to be weightless.

5.9 When mud flies off the tyre of a moving bicycle, in what direction does it fly? Explain.

Ans: When tyre of bicycle moves, then initially mud rotates with the tyre. The adhesive force between mud and the tyre provides necessary centripetal force to rotate the mud along with tyre. When speed of tyre increases, more centripetal force is required by mud to rotate with tyre. Since, adhesive force is not enough to provide necessary centripetal force. Therefore, the mud flies off the tyre in a direction of tangent to the circular path.

5.10 A disc and hoop start moving down from the top of an inclined plane at the same time. Which one will be moving faster on reaching the bottom?

Ans: When a disc and a hoop start moving down from the top of the inclined plane, then the speed of disc is greater than the speed of hoop on reaching the ground because moment of inertia of disc is lesser than that of hoop.

$$v = \sqrt{\frac{4}{3}gh}$$

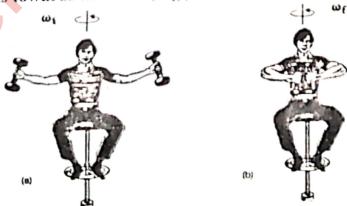
$$v = \sqrt{gh}$$

This shows that the speed of disc is greater than that of hoop

5.11 Why does a diver change his body positions before and after diving in the pool?

Ans: When a diver jumps off the diving board, he has small angular velocity about the horizontal axis through his centre of gravity. When he draws his legs and arms close to his body, his moment of inertia decreases and to conserve angular momentum, his angular velocity increases and he spins faster. This enables the diver to take extra somersaults.

5.12 A student holds two dumb-bells with stretched arms while sitting on a turn table. He is given a push until he is rotating at certain angular velocity. The student pulls the dumb-bells towards his chest (Fig.) What will be the effect on rate of rotation?



Ans: When the student pulls the dum-bells towards his chest, his moment of inertia decreases and to conserve angular momentum, his angular velocity increases and he spins faster.

- Explain how many minimum number of geo-stationary satellites are required for global coverage of T.V transmission.
- Each satellite covers an angle of 120° longitude and three satellites will be covering complete angle of 360°

(From past papers 2012-2017)
(Federal Board)

	(Federal Board) (Federal Board) Why does a diver change his body positions before and after diving in the pool?	(FDR 2012)
(1)	Why does a diver change his body positions before and are inclined plane at	the same time
(2)	A dies and a hoon start moving down from the	(FDR 2012)
	1: 1 are will be moving faster on reaching the bottom	(FDR 2013)
(3)	Relate how orbital speed of a sate satellite depends on its radius.	(FDR 2013)
(4)	Define radian.	(FDR 2013)
(5)	State the direction of the following vectors in simple situation.	
	a. Angular momentum	
	b. Angular velocity	(FDR 2014)
(6)	What is Einstein's view of gravitation?	(FDR 2015)
(7)	Briefly describe gravity free system.	
(8)	Why does a diver change his body positions before and after diving in the	pool? Explain
()		(FDR 2016)
(9)	A disc and hoop start moving down form the top of an inclined plane at	the same time.
(2)	Which one will be moving faster on reaching the bottom and Why? (Justi	fy your answer
		(FDR 2017)
(4.0)	by using mathematical equations)	
(10)	What is the least speed at which an aero plane can execute a vertical loop	OI 1 Km (a.c.)
	so that there will be no tendency for the pilot to fail at the highest point.	(FDR 2017)